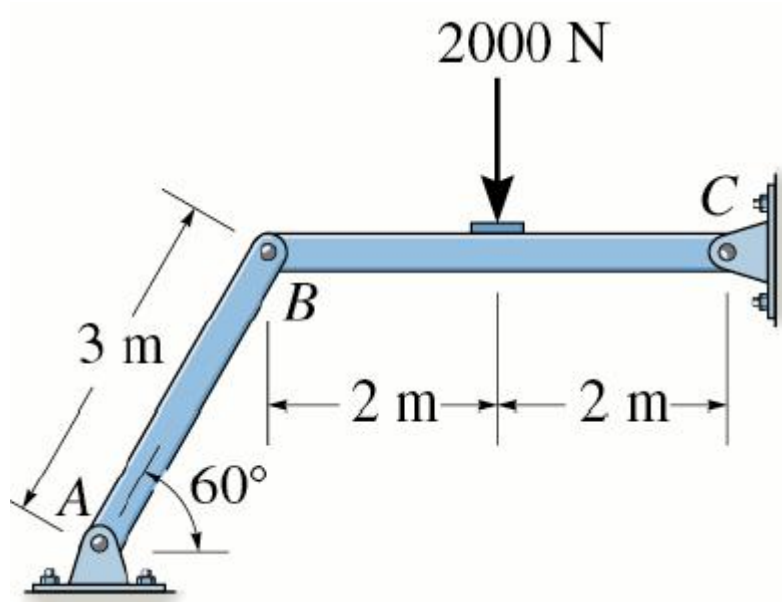


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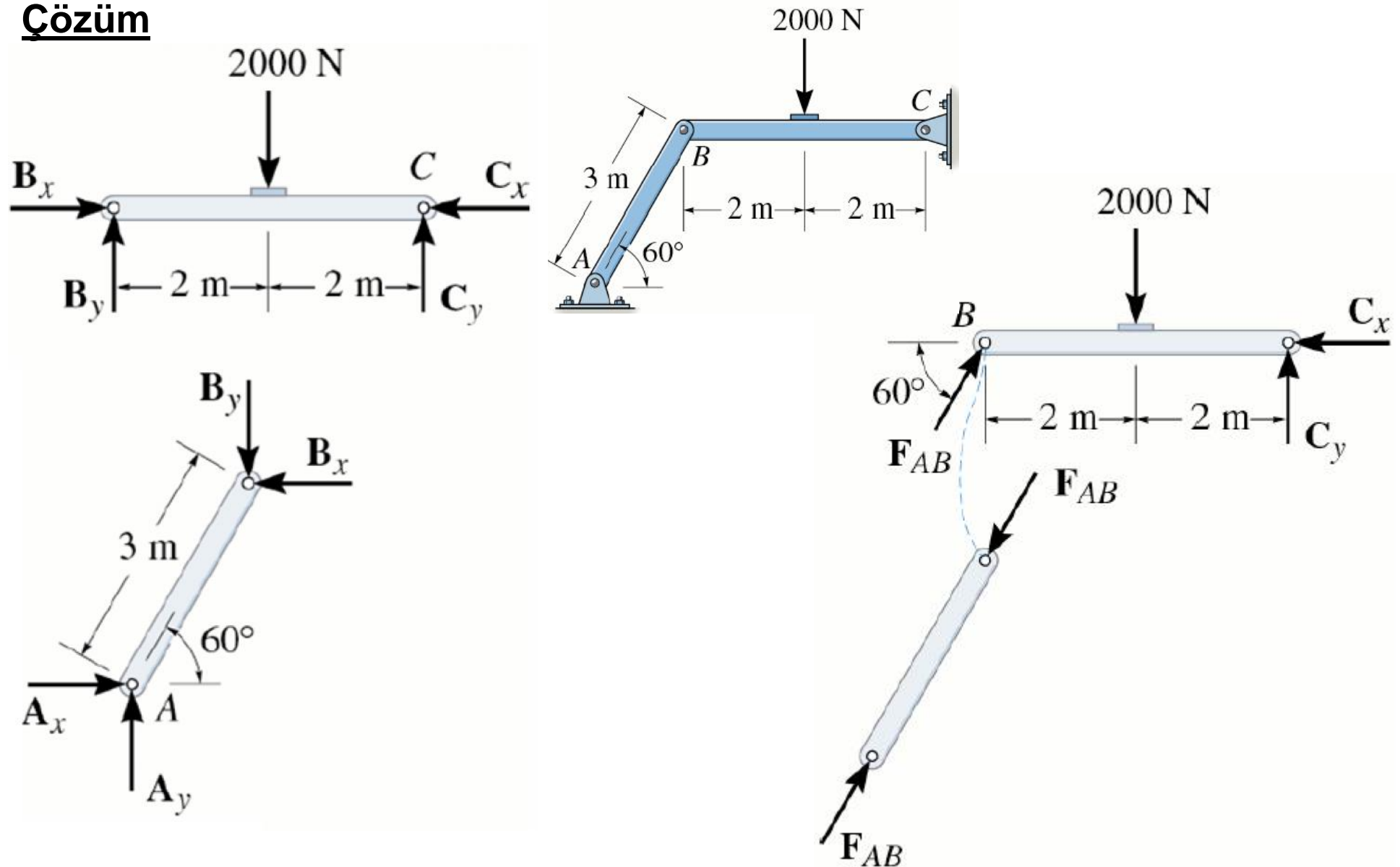
Örnek



Yandaki çerçeve elemanlarında mesnet tepkilerini bulunuz.

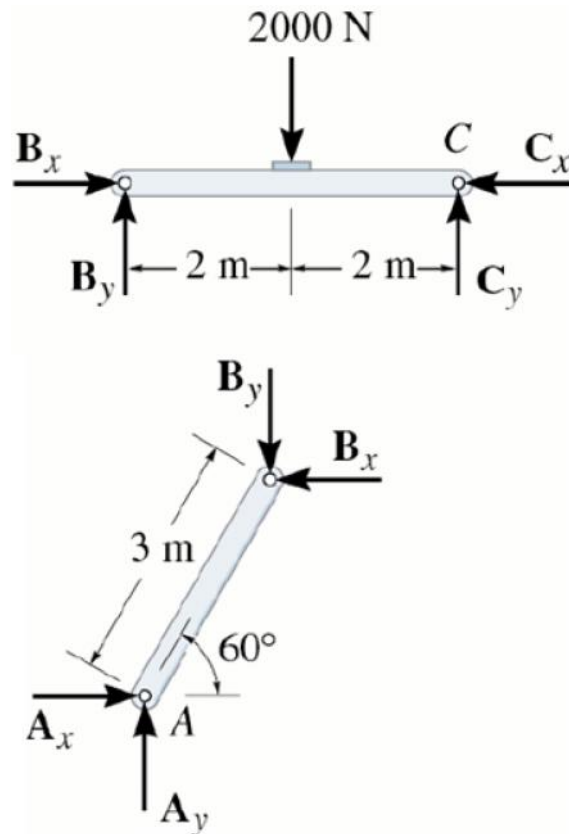
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Çözüm



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Çözüm



$$\sum M_B = 0$$

$$-2000(2) + C_y(4) = 0$$

$$C_y = 1000 \text{ N}$$

$$\sum F_y = 0$$

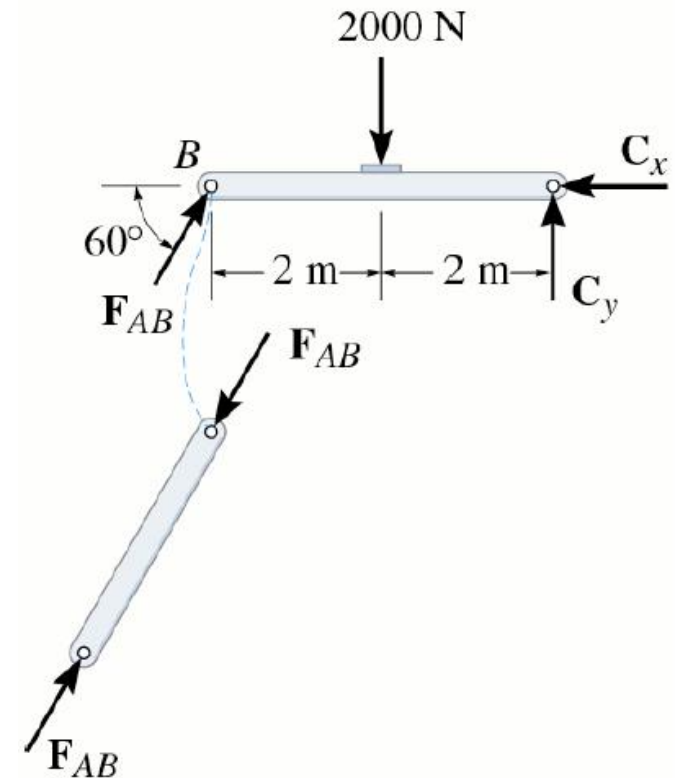
$$F_{AB} \sin 60^\circ + C_y - 2000 = 0$$

$$F_{AB} = 1154.7 \text{ N}$$

$$\sum F_x = 0$$

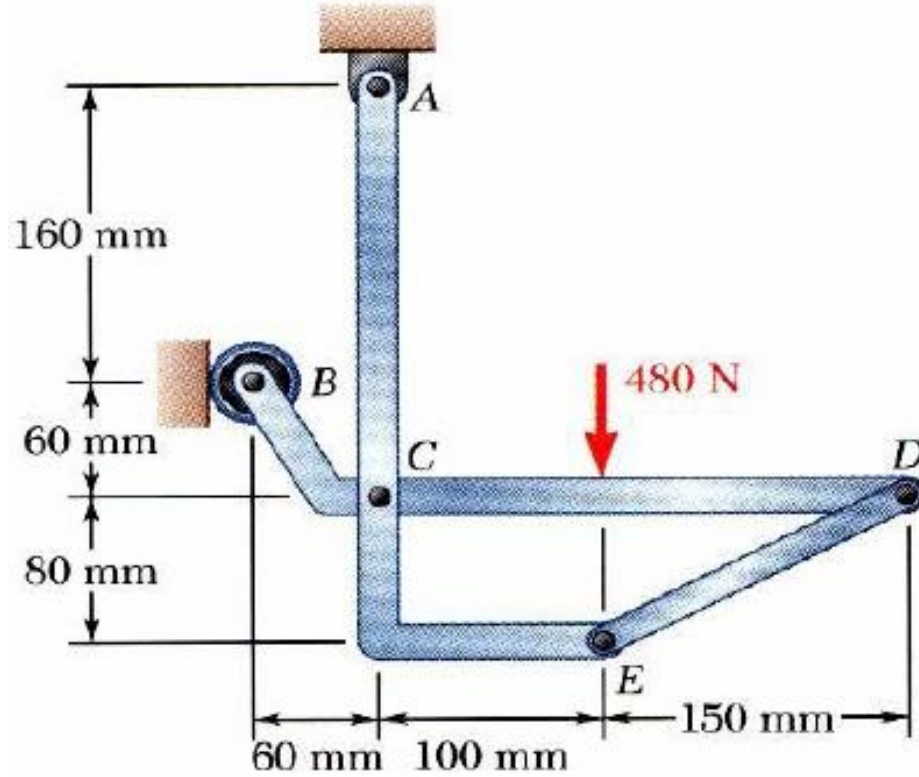
$$F_{AB} \cos 60^\circ - C_x = 0$$

$$C_x = 577.4 \text{ N}$$



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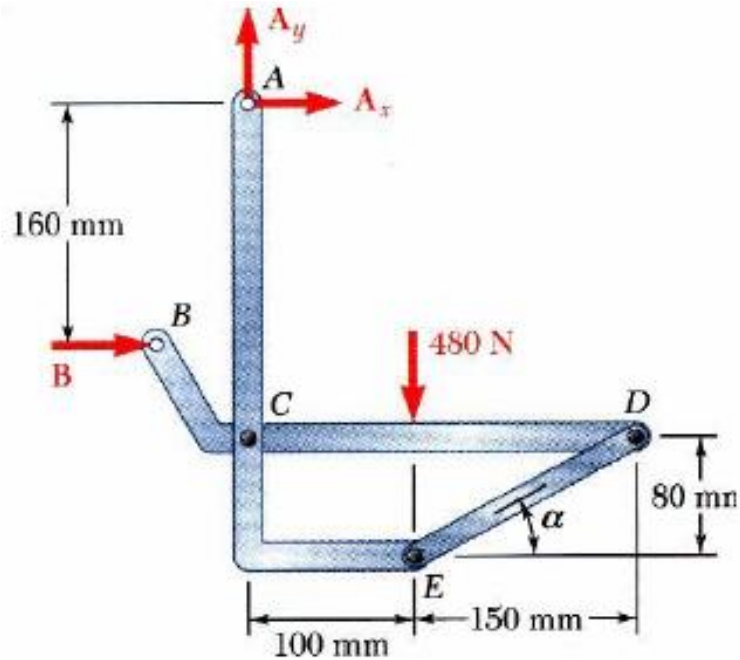
Örnek



ekildeki çerçevede ACE ile BCD elemanları C noktasından bir pimle, ayrıca DE çubuğuyla bağlıdır. Verilen yüklemeye göre, DE çubuğundaki kuvveti ve C noktasında BCD elemanına gelen kuvvetin bileşenlerini hesaplayınız.

YAPILARIN ANALİZ

Çözüm



$$\sum F_y = 0 = A_y - 480 \text{ N}$$

$$A_y = 480 \text{ N } \uparrow$$

$$\sum M_A = 0 = -(480 \text{ N})(100 \text{ mm}) + B(160 \text{ mm})$$

$$B = 300 \text{ N } \rightarrow$$

$$\sum F_x = 0 = B + A_x$$

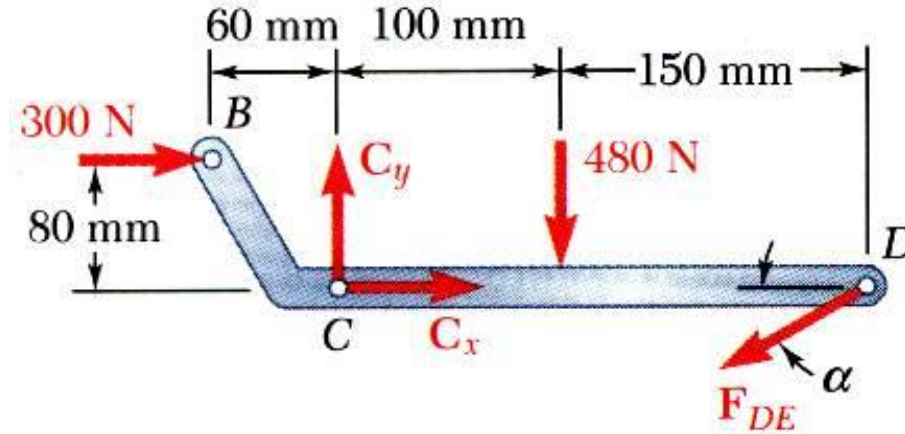
$$A_x = -300 \text{ N } \leftarrow$$

$$\alpha = \tan^{-1} \frac{80}{150} = 28.07^\circ$$

YAPILARIN ANALIZ

Çözüm

BCD elemanı için SCD çizilir. *DE* çubu undan gelen kuvvetin tesir çizgisi bellidir ama iddet ve yönü belli de ildir. Bunun için *C* noktasına göre moment denge denklemini kullanılabilir.



$$\sum M_C = 0 = (F_{DE} \sin \alpha)(250 \text{ mm}) + (300 \text{ N})(60 \text{ mm}) + (480 \text{ N})(100 \text{ mm})$$
$$F_{DE} = -561 \text{ N} \quad \boxed{F_{DE} = 561 \text{ N } C}$$

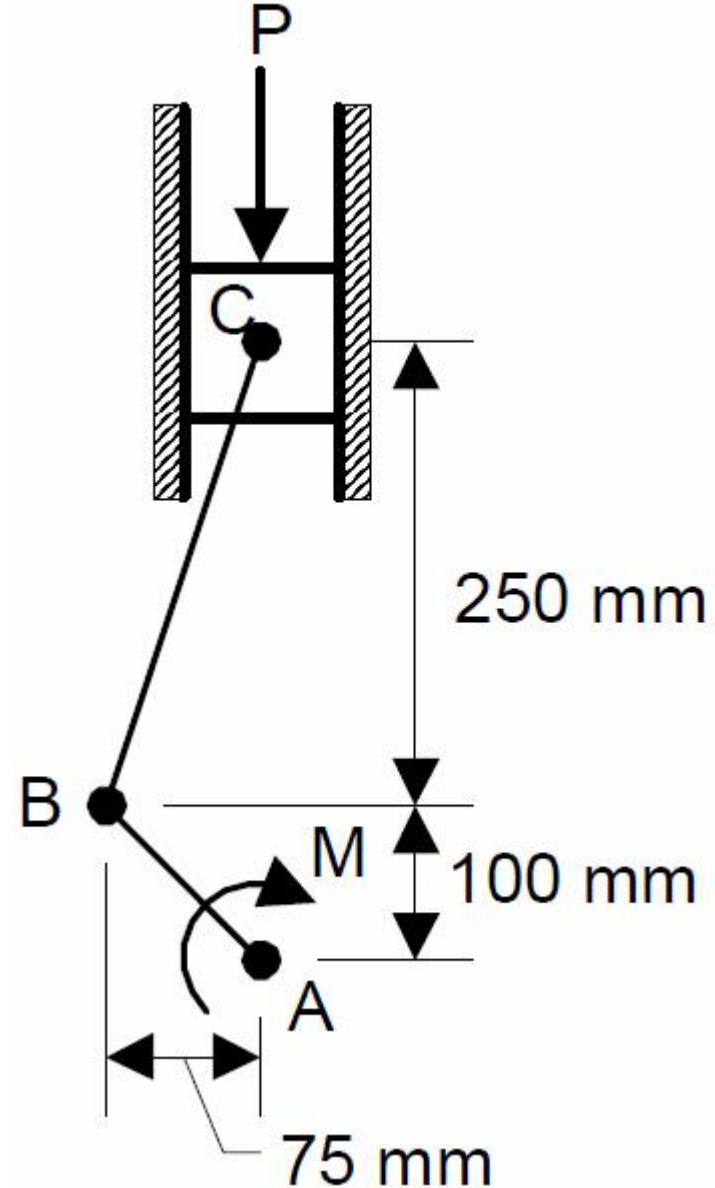
$$\sum F_x = 0 = C_x - F_{DE} \cos \alpha + 300 \text{ N}$$
$$0 = C_x - (-561 \text{ N}) \cos \alpha + 300 \text{ N} \quad \boxed{C_x = -795 \text{ N}}$$

$$\sum F_y = 0 = C_y - F_{DE} \sin \alpha - 480 \text{ N}$$
$$0 = C_y - (-561 \text{ N}) \sin \alpha - 480 \text{ N} \quad \boxed{C_y = 216 \text{ N}}$$

YAPILARIN ANALİZ

Örnek

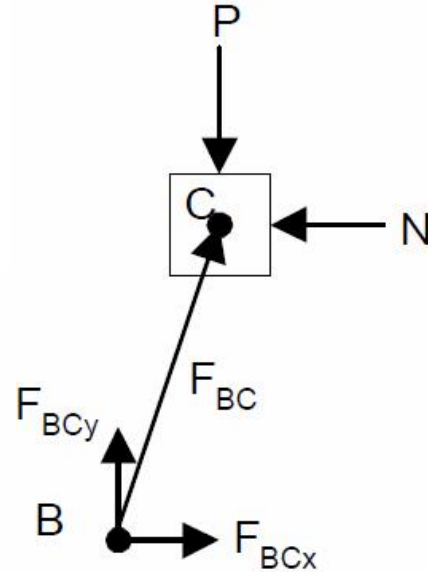
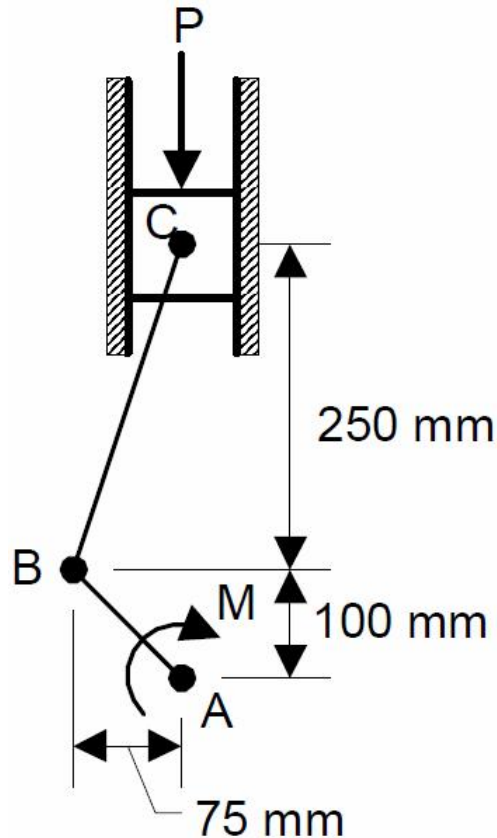
2.4 kN iddetinde bir P kuvveti, ekilde gösterilen motor sisteminin pistonuna etkimektedir. Sistemi dengede tutacak olan M momentini bulunuz.



YAPILARIN ANALIZ

Piston SCD

Çözüm



$$\Sigma F_y = 0$$

$$F_{BCy} - P = 0$$

$$F_{BCy} = P$$

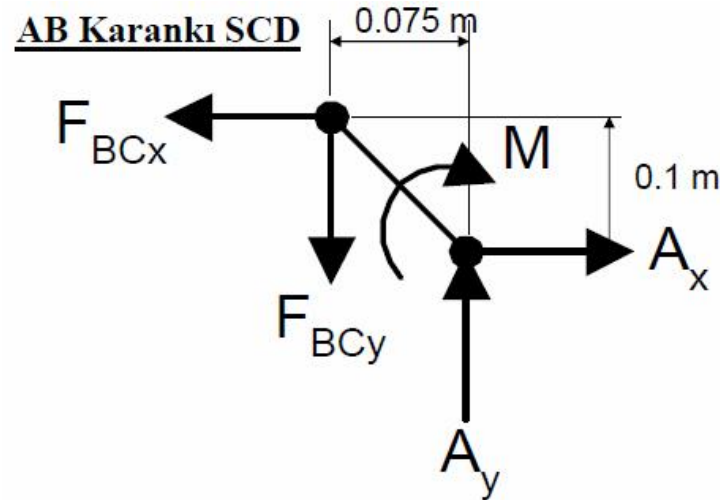
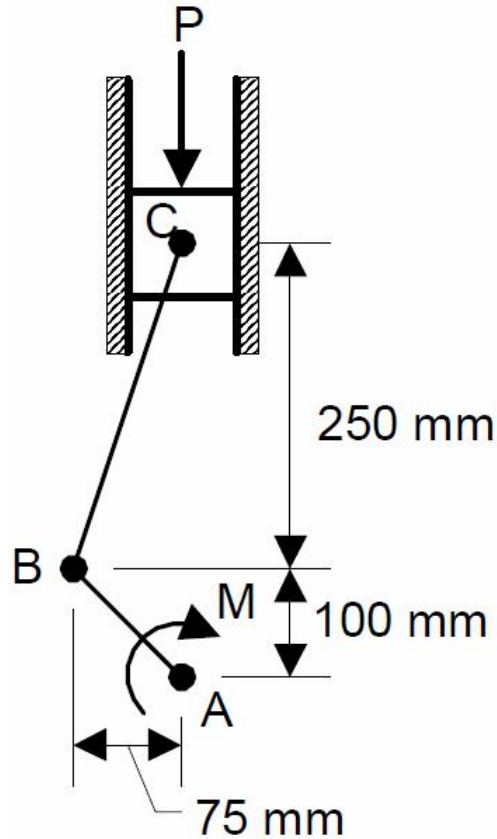
$$BC = \sqrt{75^2 + 250^2} = 261$$

$$F_{BCy} = F_{BC} \left(\frac{250}{261} \right) \Rightarrow F_{BC} = F_{BCy} \left(\frac{261}{250} \right)$$

$$F_{BCx} = F_{BC} \left(\frac{75}{261} \right) = F_{BCy} \left(\frac{261}{250} \right) \left(\frac{75}{261} \right) = P \left(\frac{75}{250} \right) = 0.3P$$

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Çözüm



$$+ \downarrow \Sigma M_A = 0$$

$$F_{BCx}(0.1) + F_{BCy}(0.075) - M = 0$$

$$M = 0.3P(0.1) + P(0.075)$$

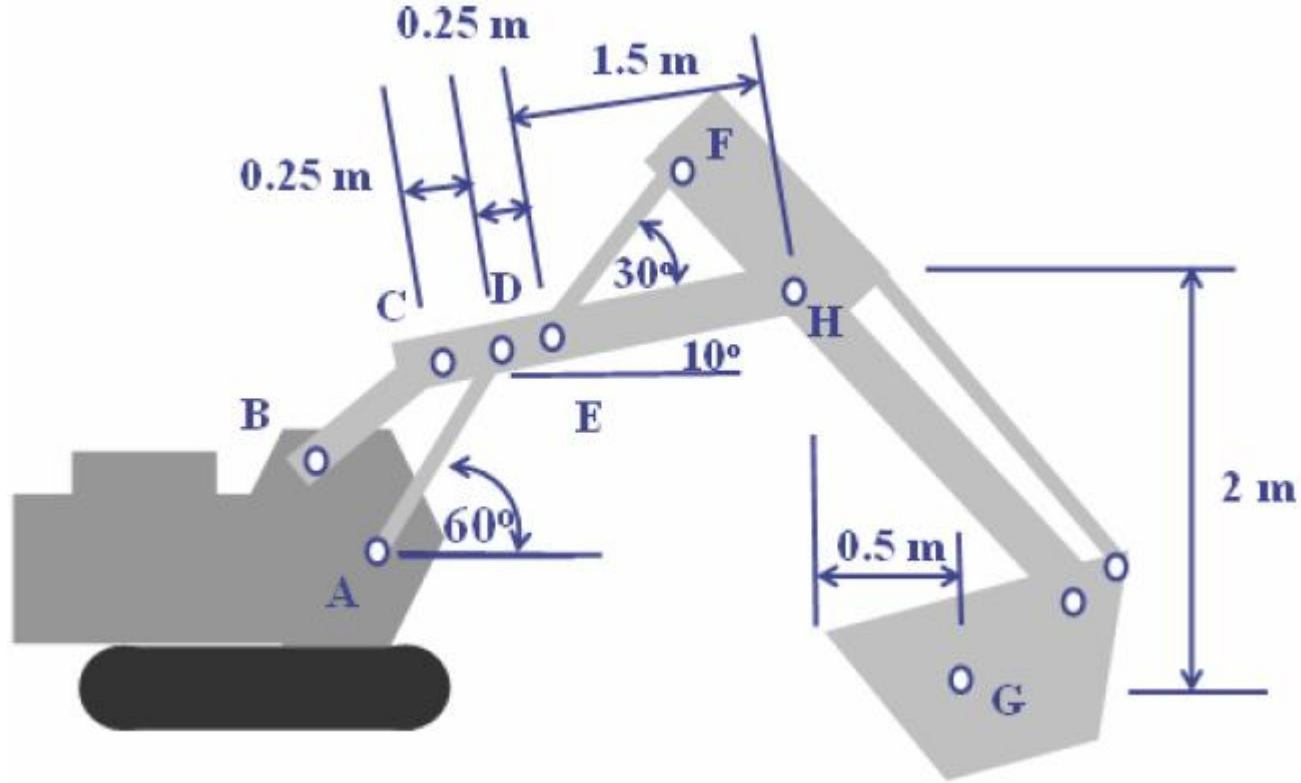
$$M = 0.105P$$

$$M = 0.105(2.4)$$

$$M = 252 \text{ Nm}$$

YAPILARIN ANALİZ

Örnek

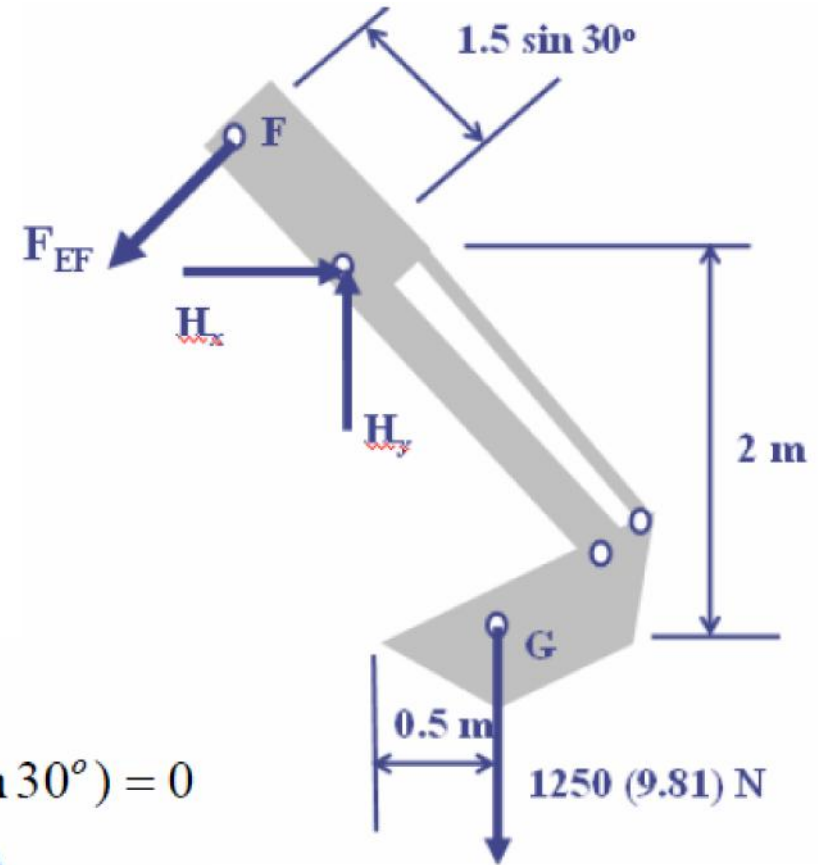
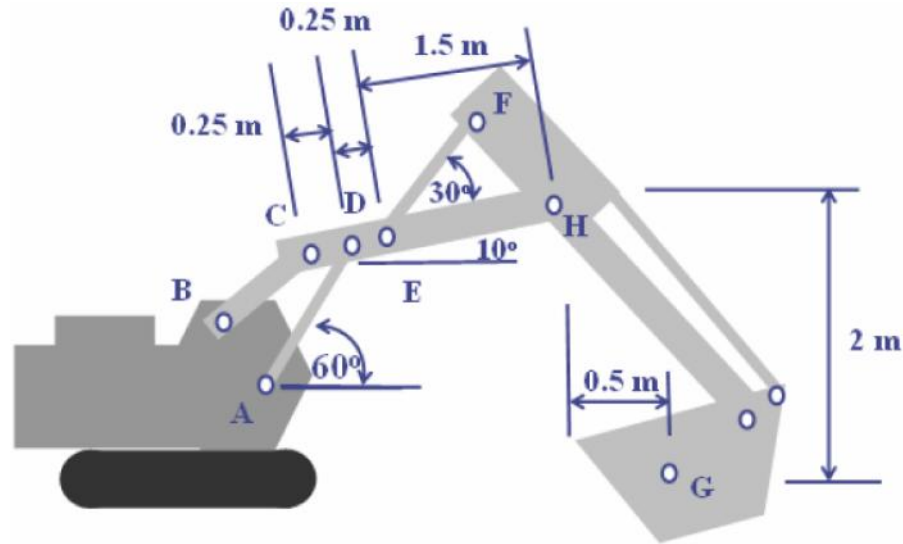


EF ve AD pistonlarına gelen kuvvetleri bulunuz.

Kepçenin içinde 1500 kg yük mevcuttur. EF pistonu gösterilen konumda FHG elemanına diktir.

YAPILARIN ANALİZ

Çözüm



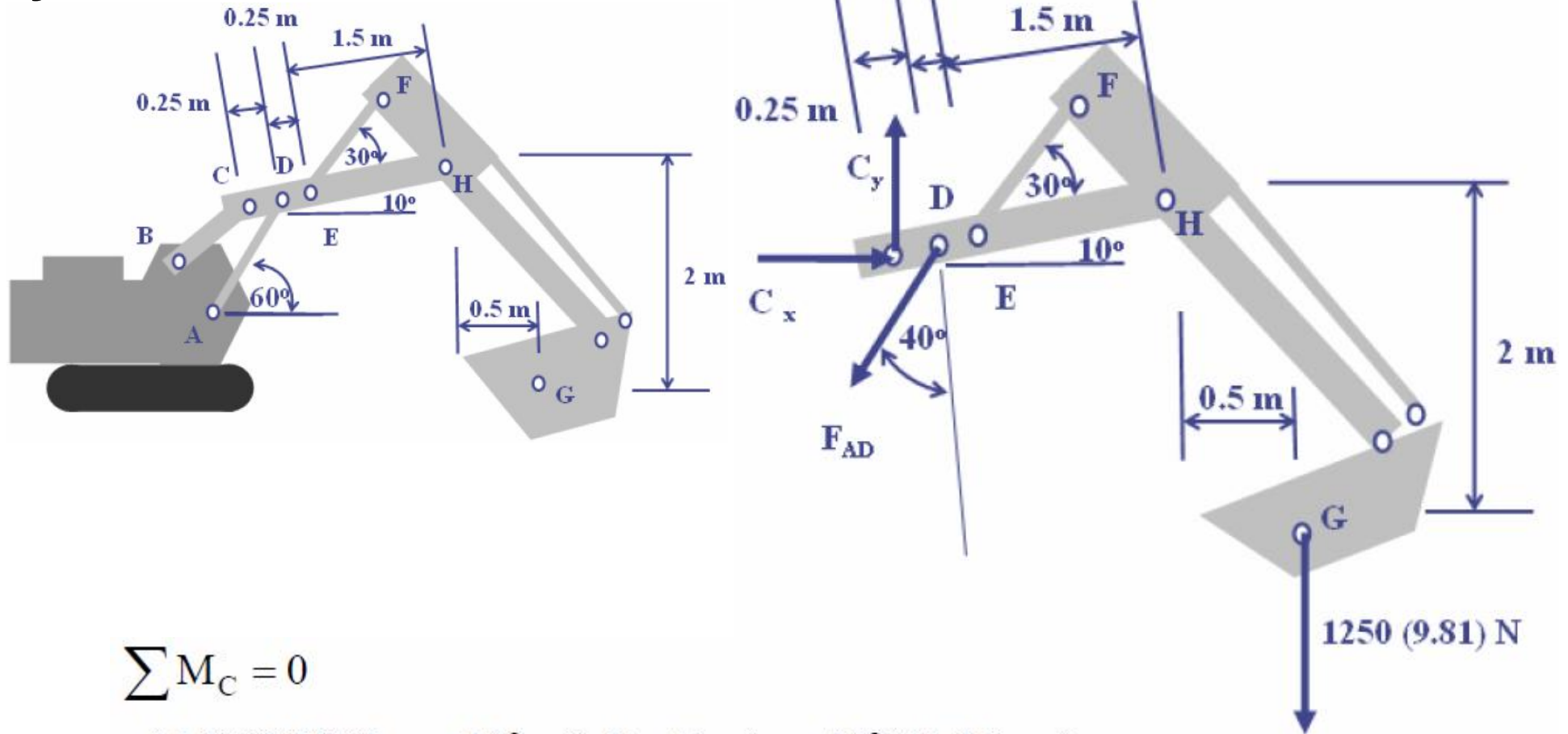
$$\sum M_H = 0$$

$$-1250(9.81)(0.5) + F_{EF} (1.5 \sin 30^\circ) = 0$$

$$F_{EF} = 8175 \text{ N} = 8.18 \text{ kN} \quad (T)$$

YAPILARIN ANALİZ

Çözüm



$$\sum M_C = 0$$

$$-1250(9.81)(2 \cos 10^\circ + 0.5) - F_{AD}(\cos 40^\circ)(0.25) = 0$$

$$F_{AD} = -158130 \text{ N} = 158 \text{ kN (C)}$$